

# Inscribed Angles

Lessons 9 and 10

## Standards:

**MM2G3b:** Understand and use properties of chords, tangents, and secants as an application of triangle similarity.

**MM2G3d:** Justify measurements and relationships in circles using geometric and algebraic properties.

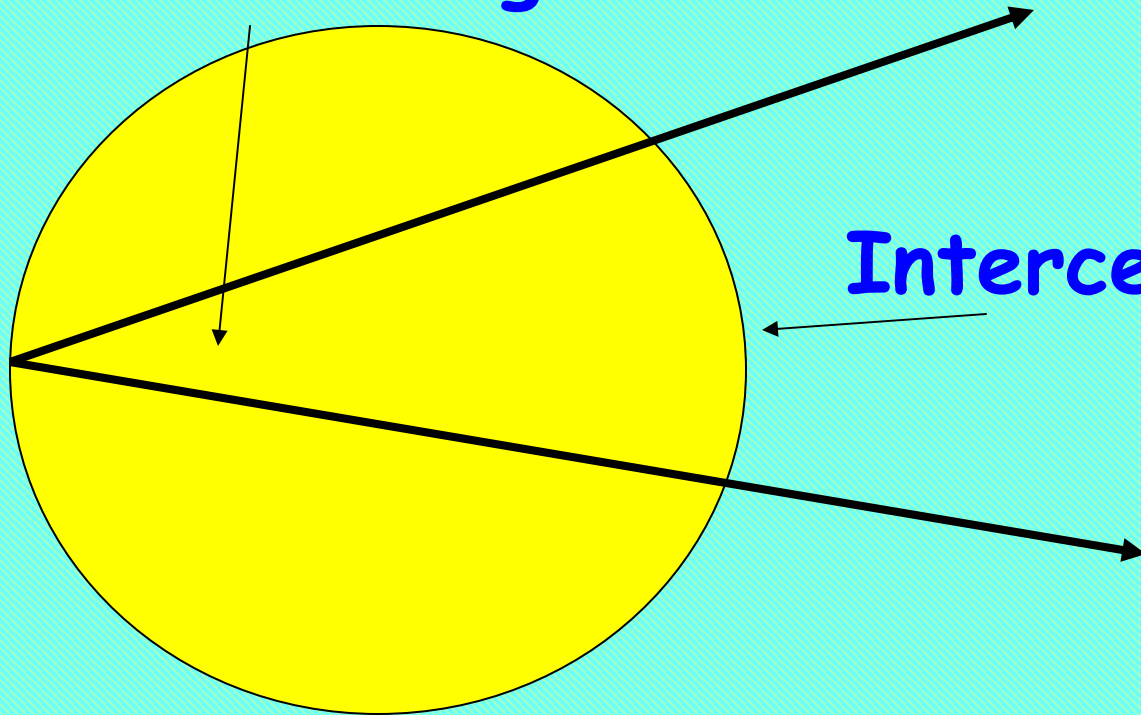
**Essential Question:**

**How do you use inscribed angles to solve problems?**

**An inscribed angle** is an angle whose vertex is on a circle and whose sides contain chords of the circle.

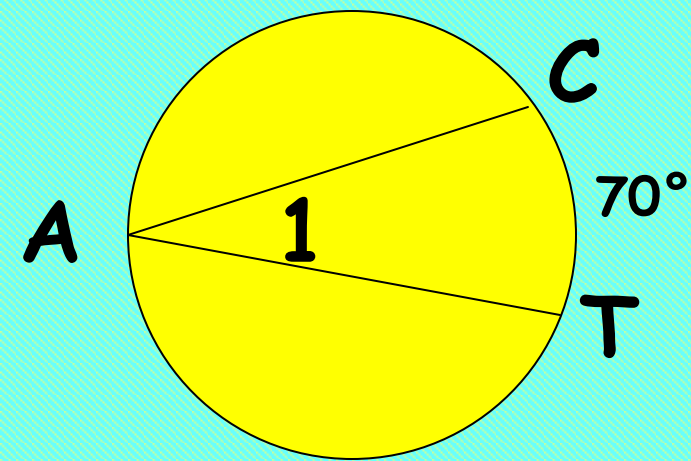
The arc that lies in the interior of an inscribed angle and has endpoints on the angle is called the **intercepted arc** of the angle.

**Inscribed angle**



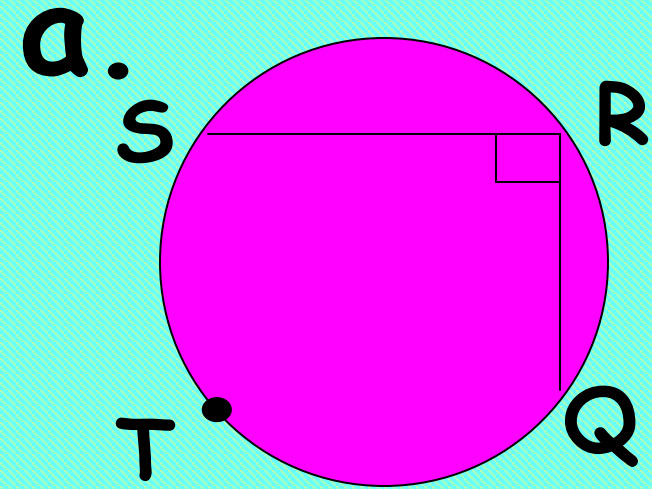
**Intercepted arc**

If an angle is inscribed in a circle, then its measure is half the measure of its intercepted arc.

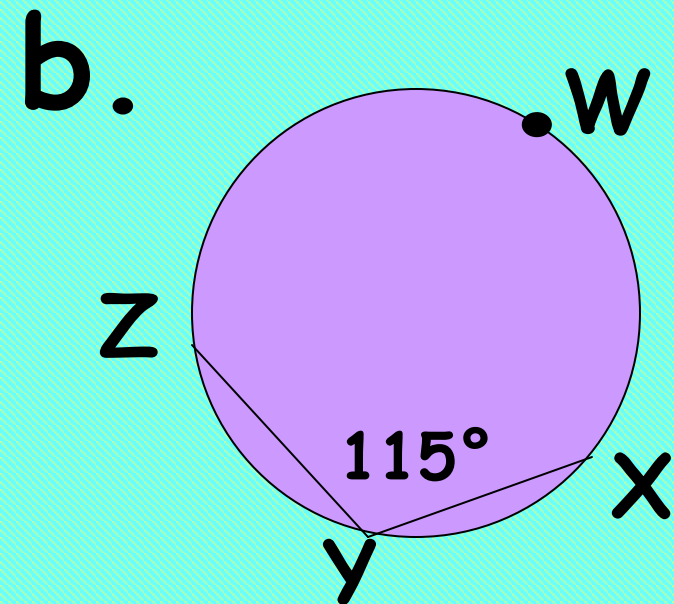


$$\angle 1 = 35^\circ$$

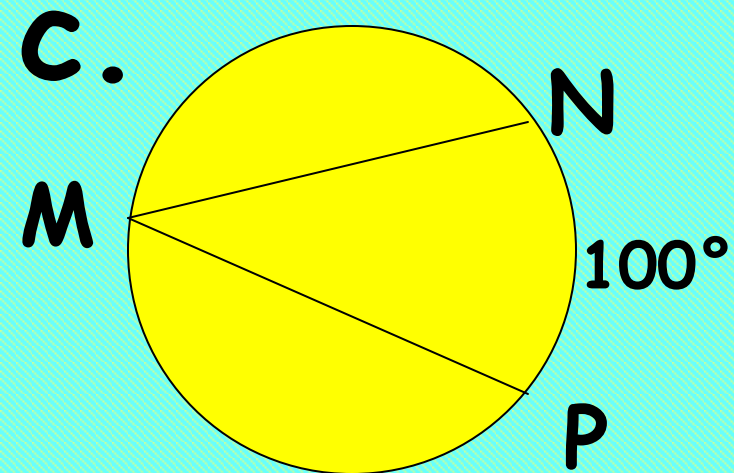
Example: Find the measure of the arc or  $\angle$ .



$$m\overset{\frown}{QTS} = 180^\circ$$



$$m\overset{\frown}{ZWX} = 230^\circ$$

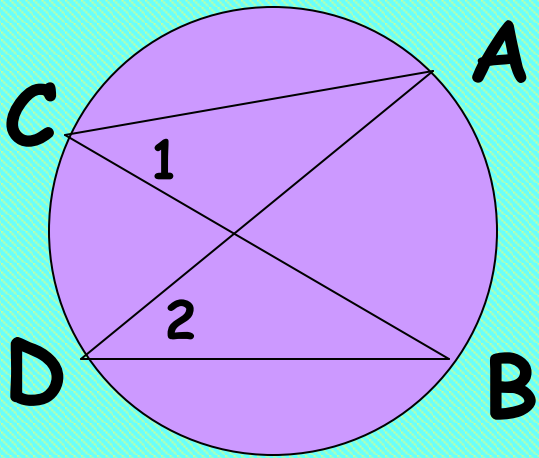


$$m\angle NMP = 50^\circ$$



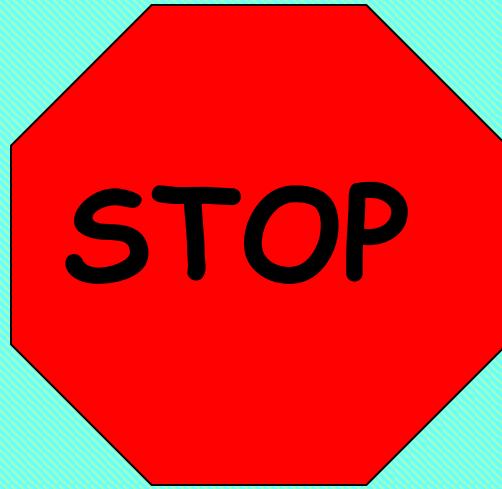
## Theorem 10.9

If two inscribed angles of a circle intercept the same arc, then the angles are  $\cong$ .



$$\angle 1 \cong \angle 2$$

$$\angle CAD \cong \angle CBD$$



**Complete  
practice A  
worksheet**

## Standards:

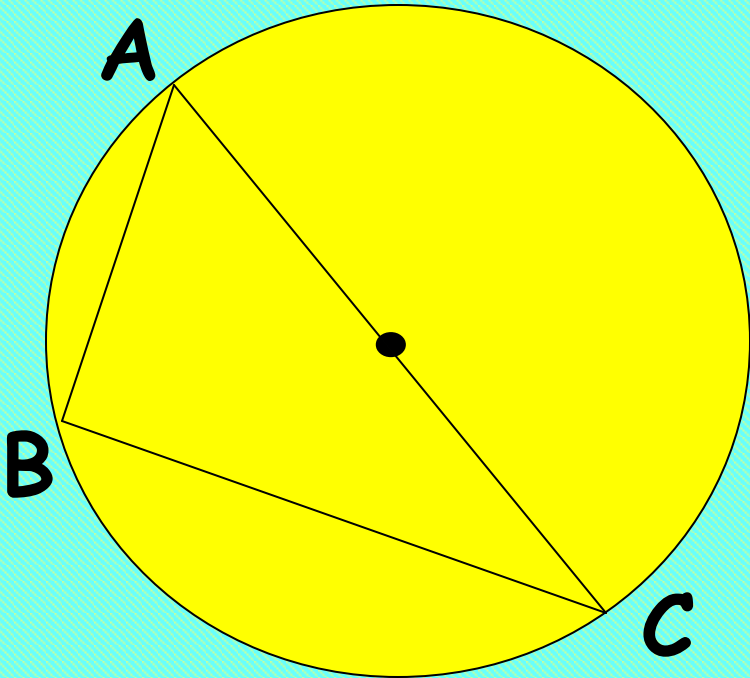
**MM2G3d:** Justify measurements and relationships in circles using geometric and algebraic properties.

**Essential Question:**

**How do you use  
the properties of  
inscribed angles?**

An angle inscribed in a semicircle is a right angle.

The measure of an angle inscribed in a semicircle is  $90^\circ$ .

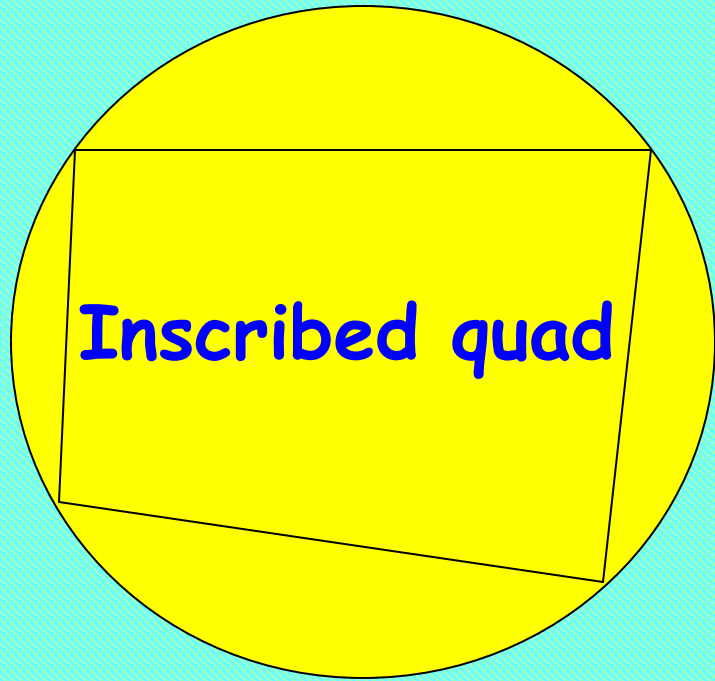


$\overline{AC}$  is a diameter

$\angle ABC$  is a right  $\angle$

If all of the vertices of a polygon lie on a circle, the polygon is inscribed in the circle and the circle is circumscribed about the polygon.

The polygon is an inscribed polygon and the circle is a circumscribed circle.

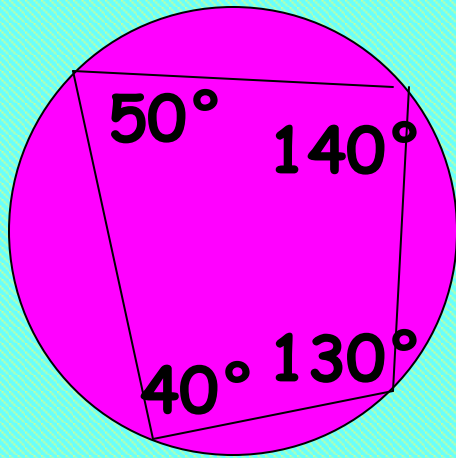


**Circumscribed circle**

**Inscribed quad**

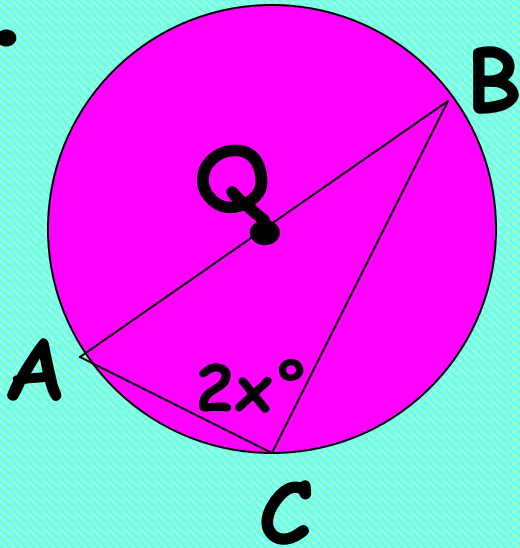


A quadrilateral can be inscribed in a circle if and only if its opposite angles are supplementary.



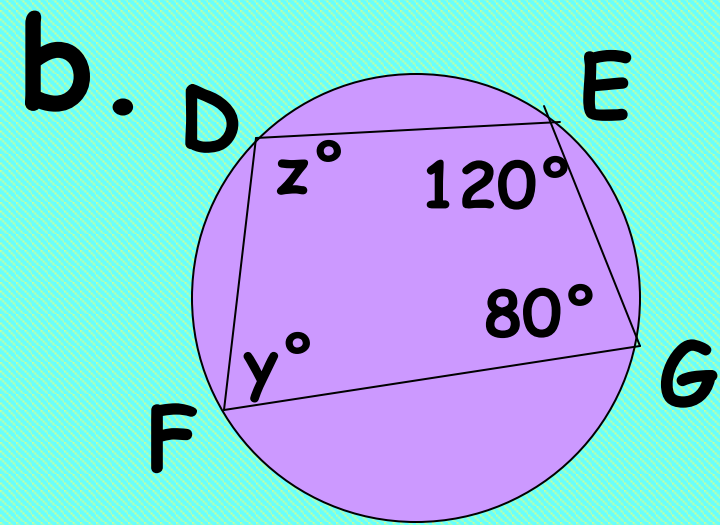
Example: Find the value of each variable.

a.



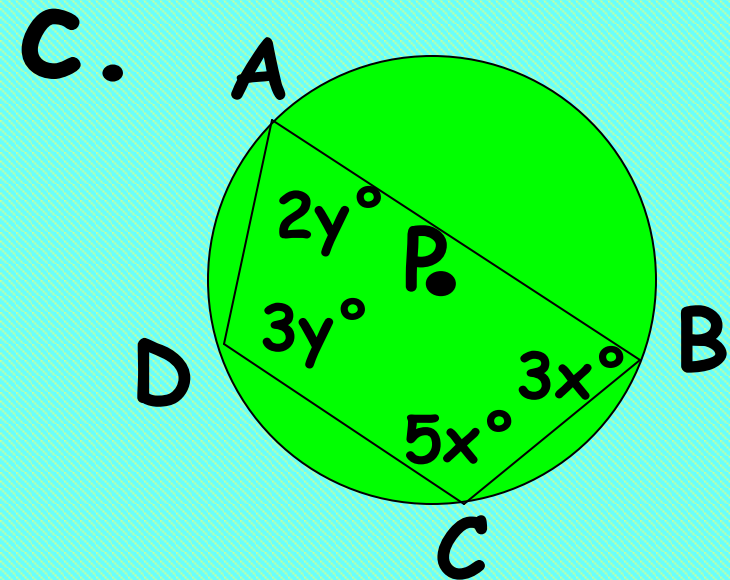
$$2x^\circ = 90$$

$$x = 45^\circ$$



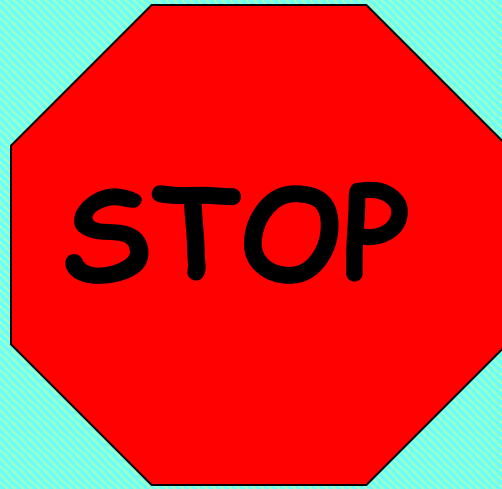
$$y = 60^\circ$$

$$z = 100^\circ$$



$$x = 20^\circ$$

$$y = 40^\circ$$



**Complete  
practice B  
worksheet**

# Homework Assignment: